

# A NEW SINGLE SWITCH ISOLATED DC-DC CONVERTER WITH TWO FORMS OF TRANSFERING ENERGY OPERATING IN CCM

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**Abstract** – This work present a new single switch isolated DC-DC converter whose particularity is the way it processes the energy: direct transference and inductive accumulation. The analysis considers operation in continuous conduction mode (CCM) of current in the output inductor  $L_2$ . Theoretical analysis, design methodology, and experimental results taken from a 250 [W], 50 [KHz] laboratory prototype are presented in this paper.

## KEYWORDS

DC-DC converters, flyback converters, forward converters, SMPS.

## I. INTRODUCTION

It is possible to identify two forms of transfer or processing energy in the isolated DC-DC converters. On the one hand: inductive accumulation (Flyback Transformer), where, in one stage, the converter accumulates the energy in the inductor core and delivering it afterward to the load, and on the other hand the direct transference (Forward Transformer) where the converter delivers the energy directly to the load.

Both forms of processing energy can be observed simultaneously in the Flyback-current-fed Push-Pull DC-DC converter [1], also. At the time when the load is being fed directly from the source, the flyback connection stores energy. This accumulated energy is delivered to the load in the following stage. This work presents the single switch version of the Flyback-Push-Pull converter, this fact explains why it has been called: “New Flyback-Forward Converter” and its structure is presented in figure 1.

## II. DESCRIPTION OF THE CIRCUIT

The New Flyback-Forward Converter is conformed, in its power section, by an active switch  $S_w$ , which together with the output diodes  $D_1$  and  $D_2$  defines the stages of operation of the converter. Moreover a transformer, operating in high frequency, formed by the primary and secondary inductances,  $L_3$  and  $L_4$ , respectively, denominated Forward transformer, which provides galvanic isolation between the source ( $V_e$ ) and the load ( $V_s$ ). This transformer also separates the coupled inductors  $L_1$  and  $L_2$  that form the denominated “Flyback

transformer”. These coupled inductors are those that provide the Flyback characteristic of the converter, storing energy when the switch is on and delivering it to the load when the switch is off.

Since the circuit is obviously asymmetric it is necessary to provide a path for the magnetization current of the Forward transformer. This function is assumed by LC snubber, formed by  $L_f$ ,  $C_f$ ,  $D_{11}$ ,  $D_{12}$ . The LC snubber circuit absorbs and recovers the magnetization energy of the Forward transformer without auxiliary winding.

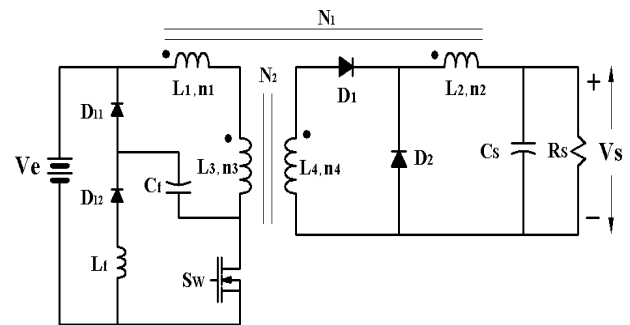


Fig. 1- New Flyback-Forward Converter with LC snubber.

In summary, the elements of the power stage of the new Flyback-Forward converter are:

$S_w$	: Active power switch
$D_1, D_2$	: Output Diodes
$C_s$	: Output filters capacitor
$R_s$	: Equivalent load resistance
$L_1, L_2$	: Flyback Transformer Inductances.
$n_1, n_2$	: $L_1$ and $L_2$ turn number
$L_3, L_4$	: Forward Transformer Inductances.
$n_3, n_4$	: $L_3$ and $L_4$ turn number
$D_{11}, D_{12}$	: Snubber circuit diodes.
$L_f$	: Snubber circuit inductance
$C_f$	: Snubber circuit capacitance

On the other hand, it is defined:

$N_1$	: Flyback transformers turns ratio
$N_2$	: Forward transformer turns ratio
$L_e$	: Equivalent inductance of coupling between $L_1$ and $L_2$ , reflected to the secondary.

### III. OPERATION IN STEADY STATE

Since it has been assumed a continuous conduction mode in  $L_2$ , the existence of only two stages of operation is guaranteed. In order to simplify the analysis of the proposed converter, the effect of the demagnetization of the core of the Forward transformer will be omitted, also the components are considered ideal and operating in steady state.

*Stage I ( $t_0-t_1$ ):* At the instant  $t = t_0$ , when  $S_W$  is turns on, the current flows through  $L_1$ ,  $L_3$  and  $S_W$ . The voltage across  $L_3$  is reflected across the forward secondary winding ( $L_4$ ), the diode  $D_1$ , is turned on. The Flyback Transformer does not transfer any power to the load ( $R_s$ ) only acts as an inductor storing energy. The load receives energy from the forward transformer and the output capacitor. (Fig. 2) This stage finish when  $S_{W_s}$  is turned off, therefore the duration of this stage is  $D \cdot T$ .

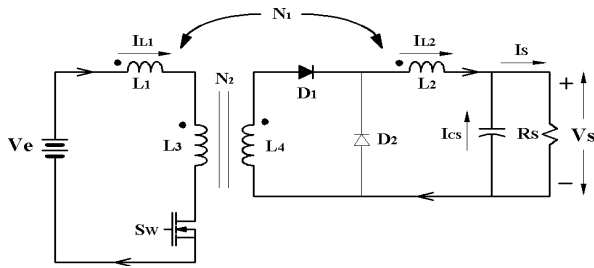


Fig. 2- First stage of operation

The magneto-motive force, mmf, during this stage is represented by the following expression:

$$mmf|_{\Delta_{ton}} = i_{L2}|_{\Delta_{ton}} \cdot \left( \frac{n_1}{N_2} + n_2 \right) \quad (1)$$

*Second Stage ( $t_1-t_2$ ):* At  $t=t_1$ ,  $S_W$  is turn off and the Flyback transformer transfers energy to the load through  $D_2$  (fig 3). That allows the energy flow in the circuit to maintain continuity, providing a path through which the inductor current can free wheel the current. This is represented by equation (5).

The mmf, during this interval is given by:

$$mmf|_{\Delta_{toff}} = n_2 \cdot i_{L2}|_{\Delta_{toff}} \quad (2)$$

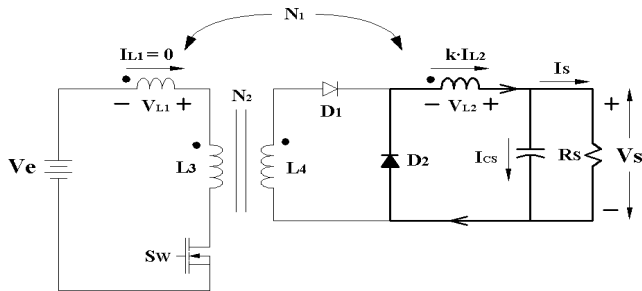


Fig. 3- Second stage of operation

1) *Value of the current through  $L_2$  inductor:* In steady state the magnetic flux is invariable in one period of operation,

therefore the mmf contained in the core of the Flyback transformer must stay constant, equaling (1) and (2) it is obtained:

$$i_{L2}|_{\Delta_{toff}} = \left( 1 + \frac{N_1}{N_2} \right) i_{L2}|_{\Delta_{ton}} \quad (3)$$

Defining:

$$k = \left( 1 + \left( \frac{N_1}{N_2} \right) \right) \quad (4)$$

Then:

$$i_{L2}|_{\Delta_{toff}} = k \cdot i_{L2}|_{\Delta_{ton}} \quad (5)$$

The equation (5) shows that the current through  $L_2$ , during the interval  $(1-D)T$  is increased in a factor  $k$  respect to the value in interval  $DT$ , therefore the energy transferred towards the load is increase.

2) *Value of the equivalent inductance  $L_e$ :* The equivalent inductance  $L_e$ , behaves like a nonlinear inductance, taking a different value in each stage. Reflecting the primary circuit to the secondary of the Forward transformer (fig 4), the value of  $L_e$  in function of  $L_2$ , to this stage is obtained:

$$L_e|_{\Delta_{ton}} = k^2 \cdot L_2 \quad (6)$$

Where  $k$  has been defined to the equation (4).

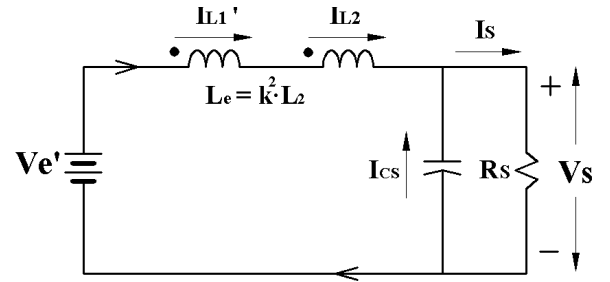


Fig. 4- Equivalent circuit to first stage.

In the second stage, figure 5, is observed that  $L_e$  is identically equal to  $L_2$ :

$$L_e|_{\Delta_{toff}} = L_2 \quad (7)$$

3) *Main waveforms:* The theoretical main waveforms are shown in fig 6 to 8. Figure 6, shows the currents in the windings of the Flyback transformer, There can be observed a step of current in the second stage. The current is twice the current of the previous interval when  $N_1$  equals  $N_2$ .

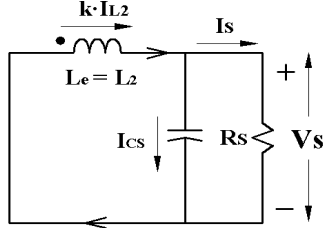


Fig. 5- Equivalent circuit to the second stage

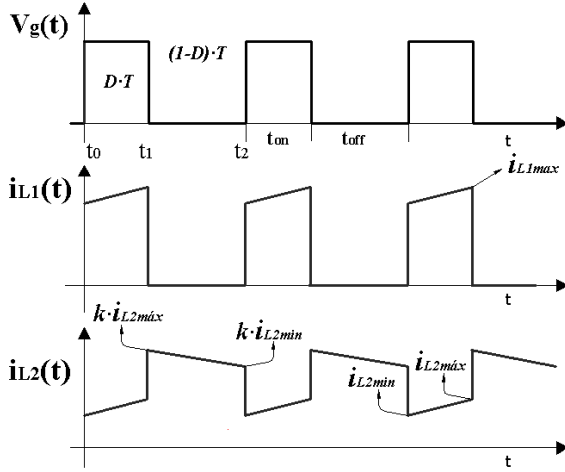


Fig. 6 – Theoretical waveforms of the currents through the windings of the Flyback

Figure 7, shows the voltage across the windings of the Forward transformer, these voltages are related between them, by the  $N_2$  transformation ratio. From this figure it is observed that the converter operates in an asymmetric form, which explains why the method of demagnetization of the core is necessary. The voltage across the switch, is shown in the figure 8, this is ideally zero during the conduction and will reach a value of  $(V_e + V_{L1})$  in the second stage, exactly after the magnetization current is zero.

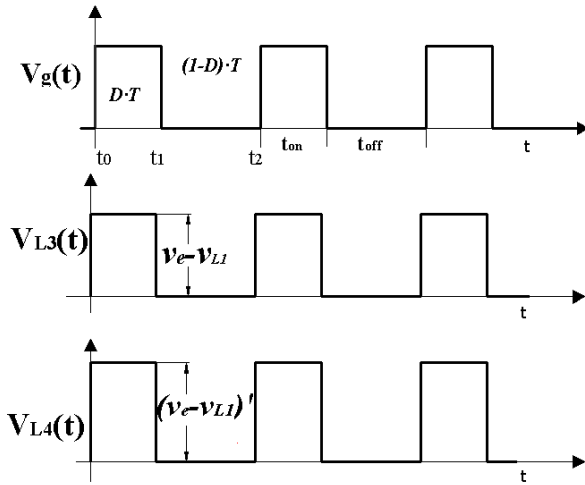


Fig. 7- Theoretical waveform of the voltages across the windings of the Forward transformer

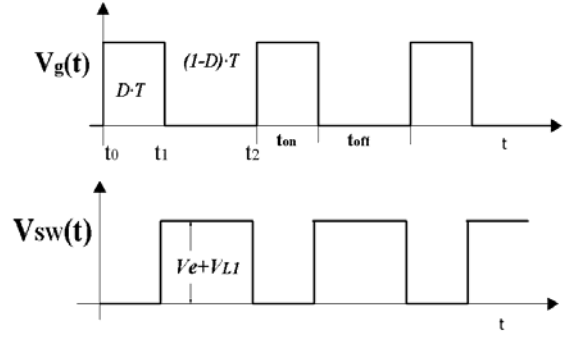


Fig. 8 – Theoretical waveform of the voltage across the switch

#### IV. STATIC GAIN IN CCM

It is known that in steady state, within one period of commutation the net flux in the inductor is constant, therefore:

$$V_{L2}|_{\Delta t_{on}} \cdot D \cdot T = V_{L2}|_{\Delta t_{off}} \cdot (1-D) \cdot T \quad (8)$$

Solving this equation for the values of voltage in  $V_{L2}$  to each stage, the following equation it is obtained:

$$G(D, k, N_2) = \frac{V_s}{V_e} = \frac{D}{N_2 (D + (1-D) \cdot k)} \quad (9)$$

Equation (9) shows that the static gain of the converter depends on the  $k$  factor, which depends of both transformer turn ratios (equation 4), and the duty ratio of the converter. In the particular case of equal transformer turn ratio between the Flyback and Forward transformer ( $k = 2$ ) the equation (9) is reduced to:

$$\frac{V_s}{V_e} = \frac{D}{N_2 (2-D)} \quad (10)$$

This last equation has been plotted as function of  $D$  using  $N_2$  as parameter, the curve obtained is shown in figure 9, for values of  $N_2$  greater than unity and in figure 10, for values smaller than unity.

#### V. OUTPUT CURRENT RIPPLE

As it has been already stated, the current ripple in  $L_2$ , takes two values. The output ripple is given by:

$$\Delta i_{L2}|_{\Delta t_{on}} = i_{L2max} - i_{L2min} = \Delta i_{L2} \quad (11)$$

And the current ripple in  $(1-D)T$  is given by:

$$\Delta i_{L2}|_{\Delta t_{off}} = k \cdot \Delta i_{L2} \quad (12)$$

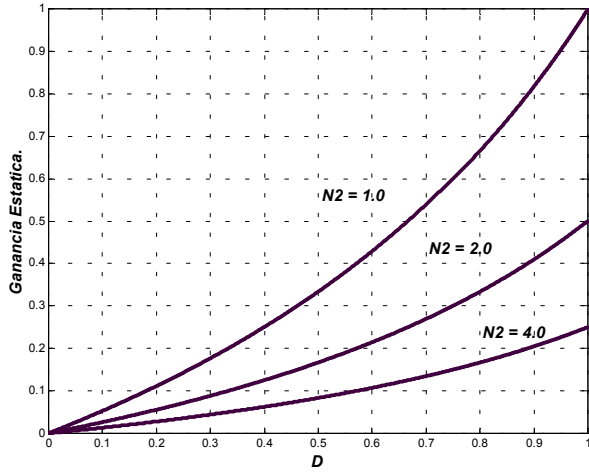


Fig. 9 - Static gain in CCM for  $N_2 \geq 1$

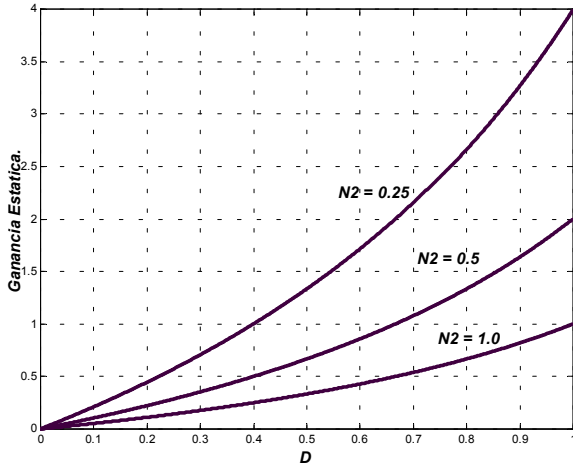


Fig. 10 - Static gain in CCM for  $N_2 \leq 1$

In addition

$$\Delta i_{L2}|_{\Delta_{ton}} = \frac{(V_{L1}' - V_{L2})}{Le|_{\Delta_{ton}}} \cdot D \cdot T \quad (13)$$

And on the other hand:

$$\Delta i_{L2}|_{\Delta_{toff}} = \frac{(V_{L2})}{Le|_{\Delta_{toff}}} \cdot (1 - D) \cdot T \quad (14)$$

Replacing (11) and using the equations (12) and (13), it is possible to obtain an expression for the current ripple in the output inductor, the expression is given by:

$$(\overline{\Delta i_{L2}}) = \frac{D \cdot (1 - D)}{k(D + (1 - D) \cdot k)} \quad (15)$$

Moreover:

$$(\overline{\Delta i_{L2}}) = \frac{L_2 \cdot f_c \cdot \Delta i_{L2} \cdot N_2}{Ve} \quad (16)$$

Figure 11, shows three different curves where the ratio between  $N_1$  and  $N_2$  has been varied, having in the superior curve,  $N_1 = (0.5) \cdot N_2$ ; the central curve is the normalized output current ripple to  $N_1 = N_2$ , and finally the inferior curve shows the case  $N_2 = (0.5) \cdot N_1$ .

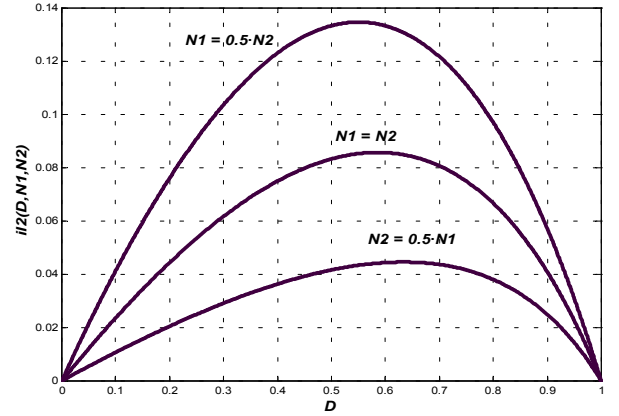


Fig. 11 - Normalized current output ripple

## VI. EXPERIMENTAL RESULTS

A laboratory prototype, operating in CCM, has been designed and implemented. Its specifications are as follows:

**TABLE I**  
**Design Specifications**

Parameters	Description
$P_s = 250$ [W]	Output power at full load
$V_s = 60$ [V]	Output voltage
$V_E = 48$ [V]	Input voltage
$I_s = 4.2$ [A]	Average output current at full load
$D = 0.21$	Nominal duty cycle
$f_c = 50$ [KHz]	Switching frequency
$\Delta I_s = 10\%$ de $I_s$	Output current ripple

The turns ratio  $N_2$  is calculated by using equation (9), for  $D = 0.21$  and  $k = 2.25$ . Taking saturation voltage across the switches equal to 1 [V], we obtain  $N_2 = 0.081$ .

The turns ratio  $N_1$  is calculated by using equation (4), for  $N_2$  before calculated, so  $N_1 = 0.101$ . The primary and secondary Flyback transformer inductances  $L_1$  and  $L_2$ , are calculated using equations (15), (16) and the turns ratio  $N_1$ . The values obtained are  $L_1 = 10$  [ $\mu$ H] and  $L_2 = 938$  [ $\mu$ H].

The power and control diagrams are shown in figure 12 and the parameters of the prototype are given in Tables II and III, for the power stage and the control circuits, respectively.

Also added a RCD snubber circuit composed of  $D_{sw}$ ,  $C_{sw}$  and  $R_{sw}$  to prevent overvoltages across the switch, caused by the circuit layout parasitic inductance.



Fig. 17 illustrates experimental drain-source voltage, revealing voltage spikes across the transistor, this obviously increases losses of the converter, due to condition unfavorable for the converter switching transistor with turn-off loss.

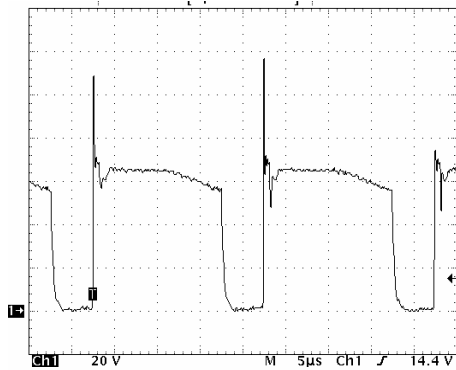


Fig. 17 – Switch Voltage [20V/div]

Fig. 18 shows the experimental output characteristic of the converter where can be observed the discontinuous and continuous regions. The efficiency obtained with full load was 0.75; this efficiency can be improved, making an optimization of clamping and snubber circuits, as well as the circuit lay out.

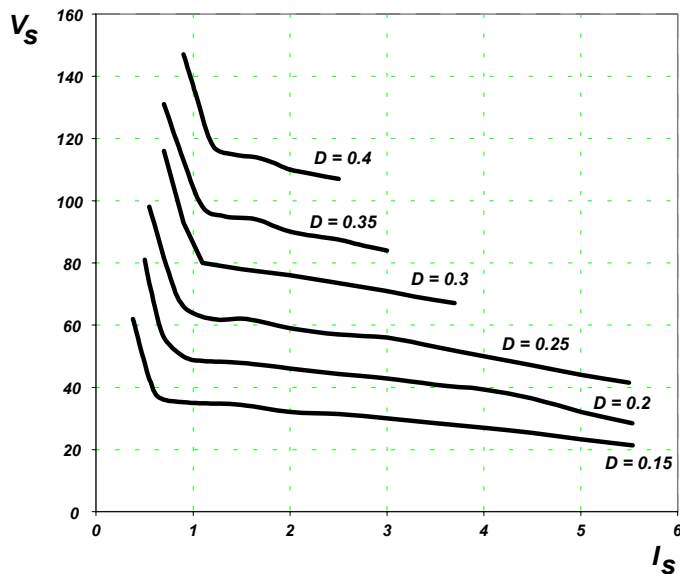


Fig. 18 – Experimentally Output Characteristic in continuous conduction mode

On the other hand, the following disadvantages are found:

- Switch voltage stresses increase when compared with Forward converter.
- Turn-off switching conditions are unfavorable because the switch turns off under maximum current, and maximum voltage conditions.
- Also was observed that the converter is very sensible to transformer leakage and circuit stray inductances due to the series connection of the primary transformers, because the LC snubber do not provide total protection against these parasitic inductances. Therefore requires an optimum snubber design.

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## VII. CONCLUSION

- A complete analysis and design of a new Flyback-Forward Converter has been presented, derived from the Flyback-Push pull Converter.
- This converter integrates the features of both the Flyback and the Forward converters.
- Since factor  $k$  depends on the both turn ratios  $N_1$  and  $N_2$ , a great versatility in the design is obtained. It is evident that  $k$  factor defines the final characteristics of the converter.